

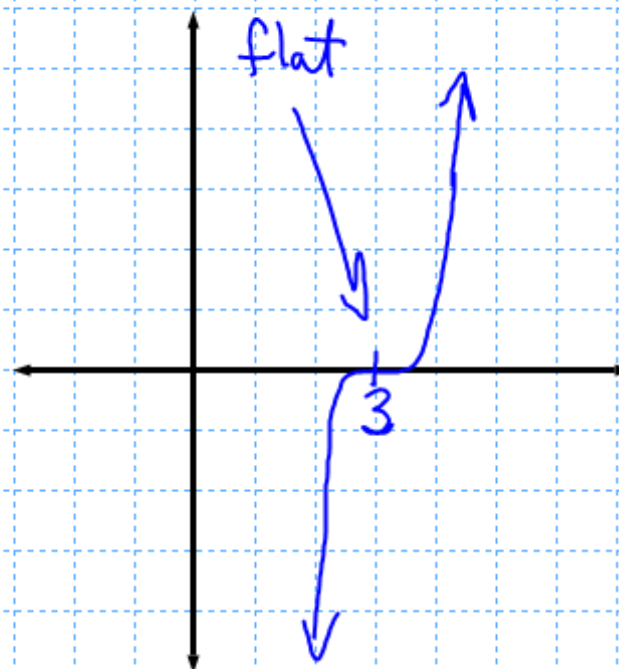
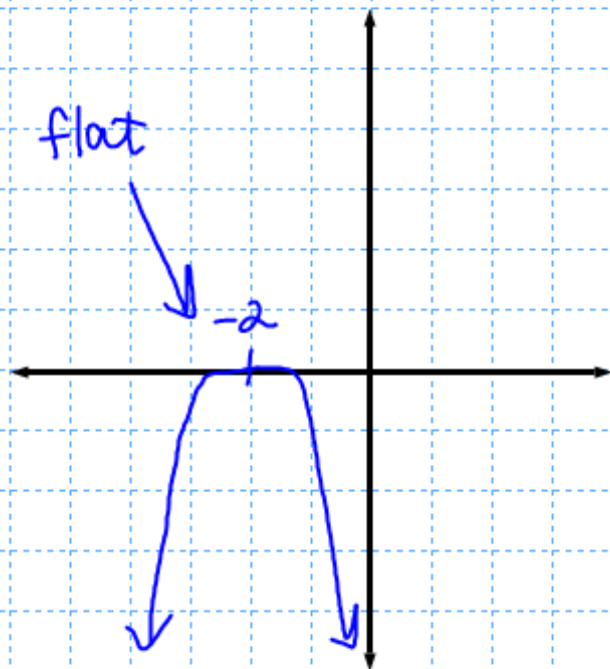
## 2.2(a) Polynomial Functions of Higher Degree

$$y = x^2$$

$$y = x^3$$

Ex. 1: Sketch  $f(x) = -(x+2)^4$

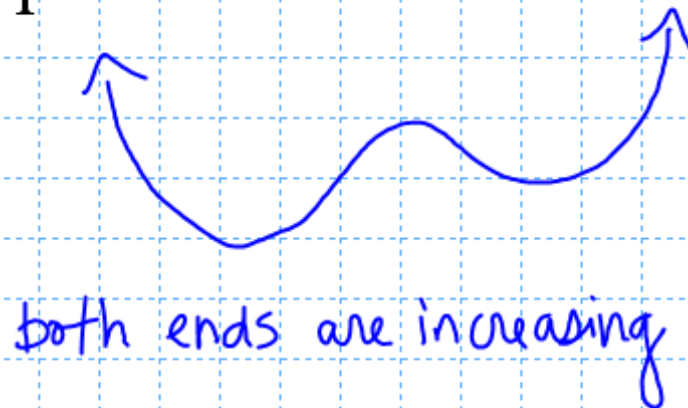
Ex. 2: Sketch  $f(x) = (x-3)^5$



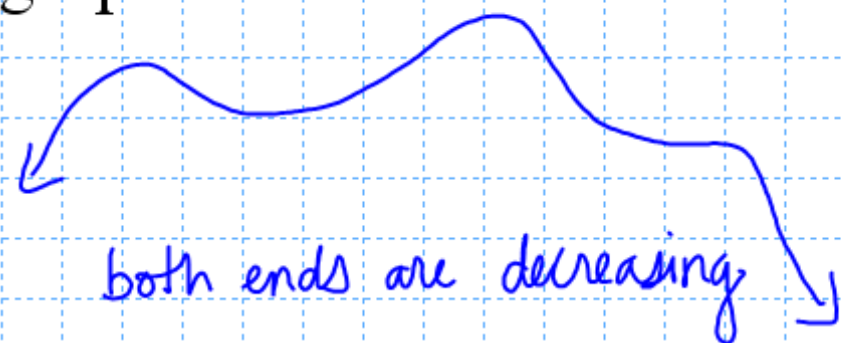
We can analyze a graph by using the Leading Coefficient Test, which determines the end behavior of a graph.

For  $f(x) = \underbrace{ax^n}_{\substack{\uparrow \\ \text{coefficient}}} + \dots$ , if the exponent is even and:

1) the coefficient of the leading term is positive, the graph looks like:

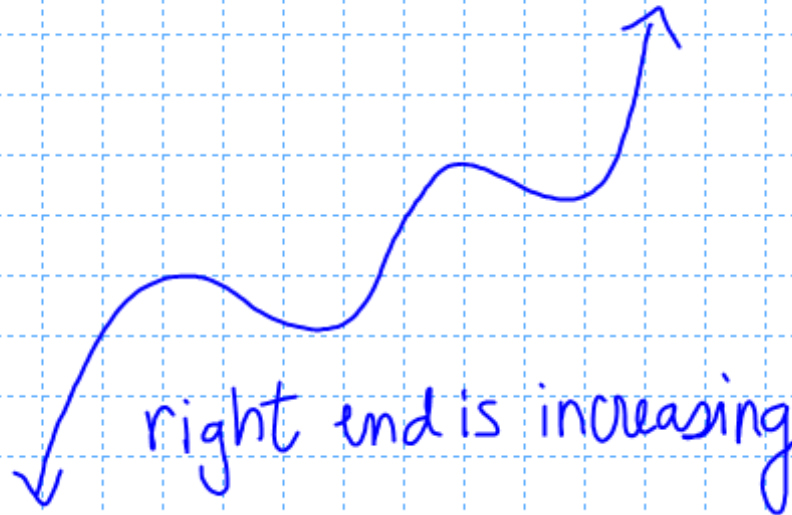


2) the coefficient of the leading term is negative, the graph looks like:

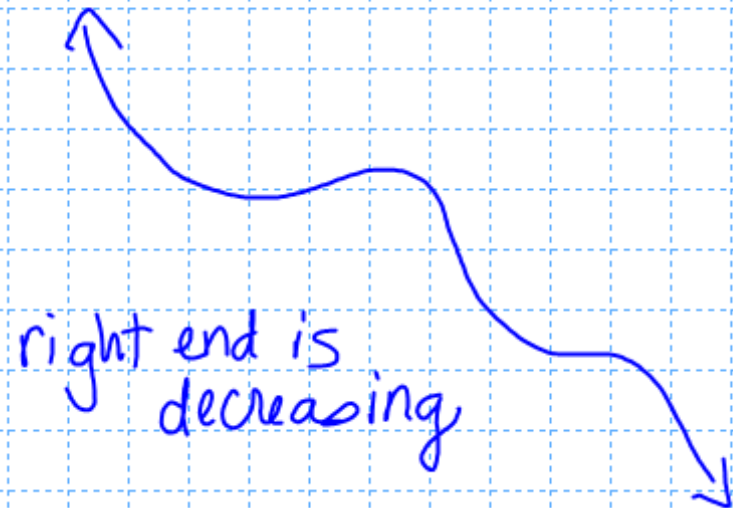


**For  $f(x) = ax^n + \dots$ , if the exponent is odd and:**

1) the coefficient of the leading term is positive, the graph looks like:

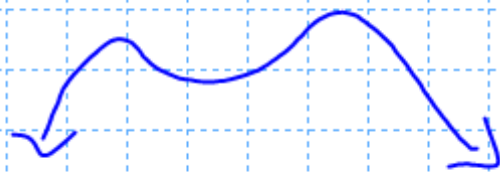


2) the coefficient of the leading term is negative, the graph looks like:



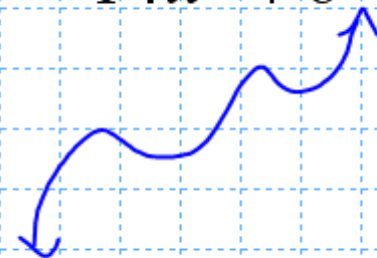
Ex.: Describe the right-hand and left-hand behavior of the graph of each function.

$$f(x) = \underline{-x^4} + 7x^3 - 14x - 9$$



both ends are decreasing

$$f(x) = \underline{5x^5} + 2x^3 - 14x^2 + 6$$



right end is increasing  
left end is decreasing